Mathematics 4

| Basic Course Information | | | |
|--------------------------|---|--------------------------------------|----------------|
| Course Number | 02005012 | Subject Category | Compulsory (G) |
| Class Format | Lecture | Credit Type and Number of Credits | 2.5 |
| Department | | Student Category | Year 2 |
| Period of Study | Semester 2 | Classes per Week | 5 |
| Required Materials | "Elementary Linear Algebra" by Howard Anton and Chris Rorres. "Mathematics Volume 2-Linear Algebra-" by Ikawa et al. | | |
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Course Objective

When successfully complete this course, students will be able to:

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2. Understand the definition of the determinant, eigenvalue and eigenvector, and spoly them to solve problems.

| Evaluation (Rubrio) | Ideal Level of Achievement (Very Good) | Standard Level of Achievement (Good) | Unacceptable Level of Achievement (Fail) |
|---|---|---|---|
| Evaluation 1: Matrix Operations | Be able to apply elementary row operations and solve linear systems or find the inverse matrix for large-size matrices | Be able to apply elementary row operations and solve linear systems or find the inverse matrix for small-size matrices | Can not apply elementary row operations to solve linear systems or find inverse matrix |
| Evaluation 2: Determinants | Understand the definition, properties and meanings of the determinant of a matrix, and find the value of determinant for large-size matrices | Understand the definition, properties and meanings of the determinant of a matrix, and find the value of determinant for small-size matrices | Can not calculate the determinant |
| Evaluation 3: Matrix Transformations | Be able to represent matrix transformations by matrices and explain the geometrical meaning | Be able to represent matrix transformations by matrices | Can not represent matrix transformations by matrices |
| Evaluation 4: Eigenvalues and Eigenvectors | Be able to explain the definition and find the eigenvalues and eigenvectors. Diagonalize any symmetric matrix by a diagonal matrix | Be able to explain the definition, find the eigenvalues and eigenvectors and diagonalize a matrix | Can not find the eigenvalues or eigenvectors |

Relationship with Learning Outcomes

GI11 Wide innovindate on Science and Engineering and precided ability to apply them to solve problems in the
coloids,

GI40 Creativity to make a new value with flushing the innovindate from verticus fields.

| Teaching Method | |
|-----------------|---|
| Outline: | |
| Class Format: | Lecture, Drill, Group Work, Presentation |
| Please Note: | Class format is subjected to change depending on students' prior knowledge and preparation |

| Course Plan Semester 2 | Contents and Method of Course | Goale | Related MCC |
|---------------------------|--|---|-------------|
| | | | I 1 45 |
| 1st Week | Chapter 1: Matrices and Matrix Operations | Can perform matrix operations on addition, subtraction, scalar multiplication and matrix multiplication | |
| | | multiplication and matrix multiplication | |
| | | | |
| | | | |
| 2nd Week | Chapter 1 : Elementary Row Operations for Solving Linear Systems | Can solve linear systems by elementary row operations | |
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| | | | I 1 4 |
| | Chapter 1: Elementary Row Operations for | Can find inverse matrices by elementary row operations. | 1 1 4 |
| 3rd Week | Chapter 1: Elementary Row Operations for Finding Inverse Matrices Chapter 2: Determinant of 2*2 and 3*3 Matrices | elementary row operations. Can find the value of determinant for any square matrix | |
| | | matrix | |
| | | | I 1 4 |
| 4th Week | Chapter 2: Definition of the Determinant and Its | Can explain the definition of determinant and apply properties to find the value of determinant | |
| AUT WORK | Properties 1st Quarter Examination (15%) | properties to find the value of determinant | |
| | | 010000111001 | |
| | | | I 1 4 |
| 5th Week | Chapter 2: Properties of Determinants | Can apply properties to find the value of determinant | |
| | | the value of determinant | |
| | | | I 1 4 |
| | | Can find inverse matrices by | 1 1 4 |
| 6th Week | Chapter 2: Finding Inverse Matrices Chapter 3: Euclidean Vector Spaces | Can explain the definition of | |
| | | adjoint matrices. Can explain the definition of Euclidean vector space and calculate norms. | |
| | | | |
| | | Can find the area of a | |
| 7th Week | Chapter 3 : Othogonal Projection, Cross Product and Geometrical Meaning of Determinants | Can find the area of a parallelogram and the volume of a parallelepiped by determinants, | |
| | | by determinants. | |
| | | | |
| A. W | | Can solve linear systems by | <u> </u> |
| 8th Week | Chapter 3: Cramer's Rule | Can solve linear systems by Cramer's rule, | |
| | | | |
| | | | |
| 9th Week | Midterm Examination (20%) | | |
| SALLI MARK | -Actern Commetton (20%) | | |
| | | | |
| | | Can evaluin the definition of | <u> </u> |
| 10th Week | Chapter 4: Definition of Basis | Can explain the definition of basis and describe the relation between basis and coordinates | |
| | | relikuon between basis and coordinates | |
| | | | |
| | | Can find the change-of- basis matrix, Can identify a linear transformation and the relevance of linear transformation and matrix transformation. | 1 1 4 |
| 11th Week | Chapter 4: Change of basis, Linear Transformations and Matrix Transformations | linear transformation and the relevance of linear | |
| | | transformation and matrix | |
| | | Con analytic strends follows of | |
| | | Can explain the definition of subspace. Can find the basis for the range of any linear transformation by performing elementary row operations. | |
| 12th Week | Chapter 4: Subspaces and Basis for R(T) | linear transformation by | |
| | | performing elementary row operations. | |
| | | | I 1 4 |
| | | Can find the composite transformation and the | |
| 13th Week | Chapter 4: Various Transformations | inverse image considering | |
| | | Can find the composite transformation and the inverse image considering the inverse transformation. Can represent various transformations by matrices. | |
| | | u ex rarormations by matrices. | |
| | | | I 1 5 |
| 14th Week | Chapter 4: Various Transformations | Can represent rotations, orthogonal transformations and various transformations by matrices. | |
| 170111000 | Yellows Hellowing Walls | and various transformations by matrices. | |
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| 15th Week | Chapter 5: Definition of Eigenvalue and Eigenvector | Can explain the definition of eigenvalues and eigenvectors | |
| | Significant Semination (20%) | eigenvectors | |
| | | | |
| | | Constitution of | |
| 16th Week | Chapter 5: Diagonalization and Othogonal Matrices | Can diagonalize square matrices and identify an orthogonal matrix | |
| | mau voo | orthogonal matrix | |
| | | | |
| | | Can diagonalize a symmetric matrix by an orthogonal | |
| 17th Week | Chapter 5: Orthogonal Diagonalization and Quadratic form | matrix by an orthogonal matrix and can find the diagonal form of a quadratic form by diagonalization. | |
| | | form by diagonalization. | |
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| | | | |
| | Review Session | | |
| 18th Week | | | |
| 18th Week | | | |
| 18th Week | | | |
| | | | |
| 18th Week | Final Examination (20%) | | |
| | Final Examination (20%) | | |
| | Final Examination (20%) | | |
| 19th Week | | | |
| | Final Examination (20%) Return Answer-Sheets Paview Samester and Feedbacks | | |

| | Examination | Drill | Submission | Clase Participation / Behavior |
|---------------------------|-------------|-------|------------|--------------------------------|
| Basic Ability | | 75 | 15 | 10 |
| Technical Ability | | 0 | 0 | 0 |
| Interdisciplinary Ability | | 0 | 0 | 0 |